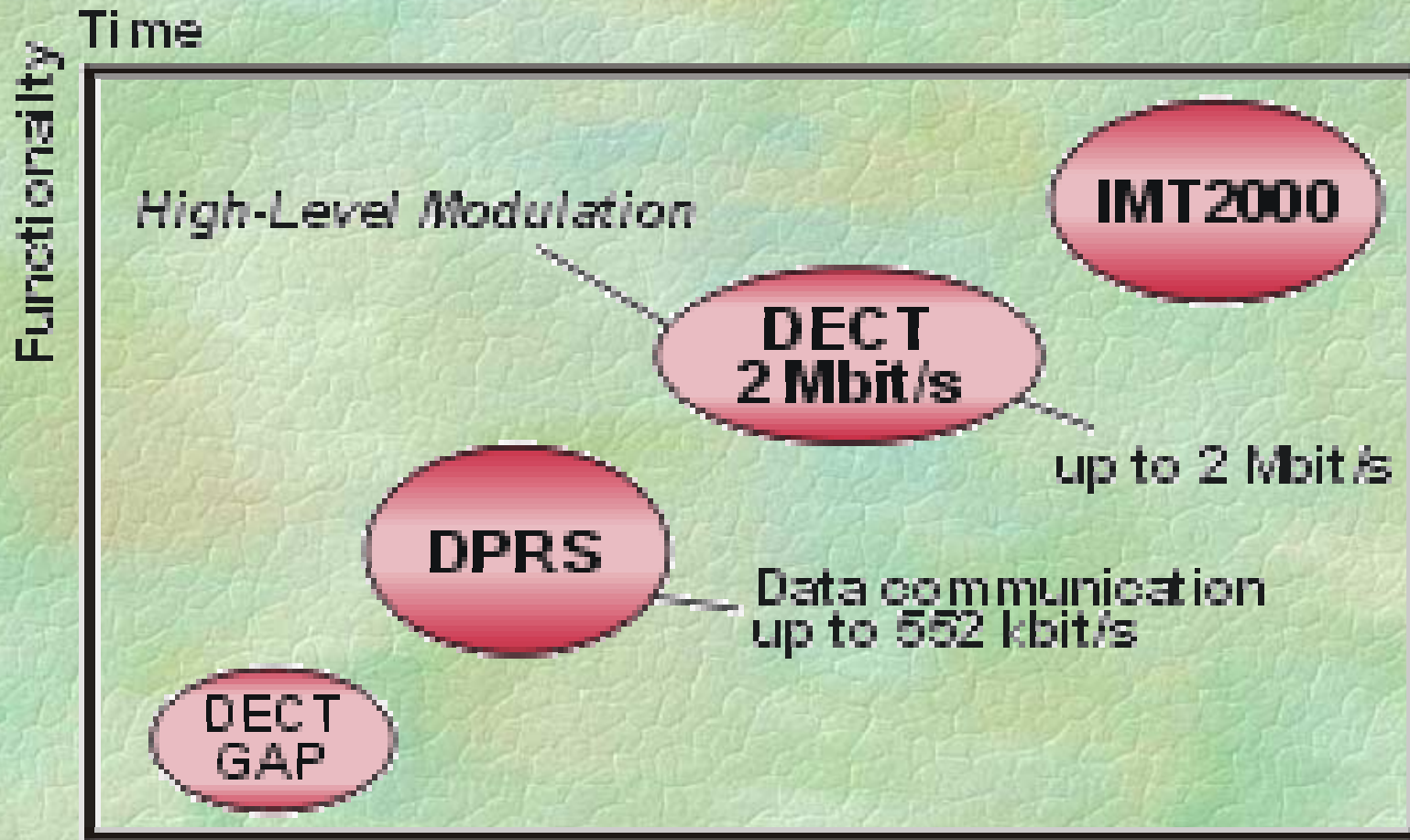


# Receiver for 3G DECT Physical Layer



# DECT Road Map



DECT - Digital Enhanced Cordless Telecommunications

# Overview

- ❧ Old DECT specifications
- ❧ Transceiver based on old specifications
- ❧ New physical layer specifications
- ❧ New transceiver implementation
- ❧ Issues related to Coherent detection of data

# Old DECT Specifications

- Multi-Carrier TDMA TDD system
- Ten RF carriers with centre frequencies given by:

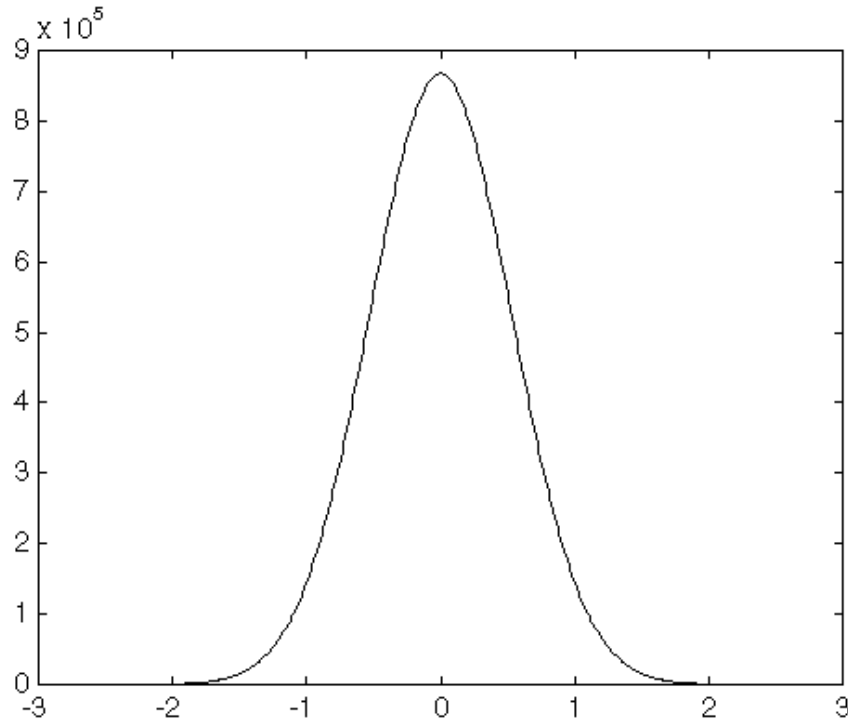
$$F_c = F_0 - c * 1.728 \text{ MHz},$$

where:  $F_0 = 1897.344 \text{ MHz}$  and  $c = 0, 1, \dots, 9$

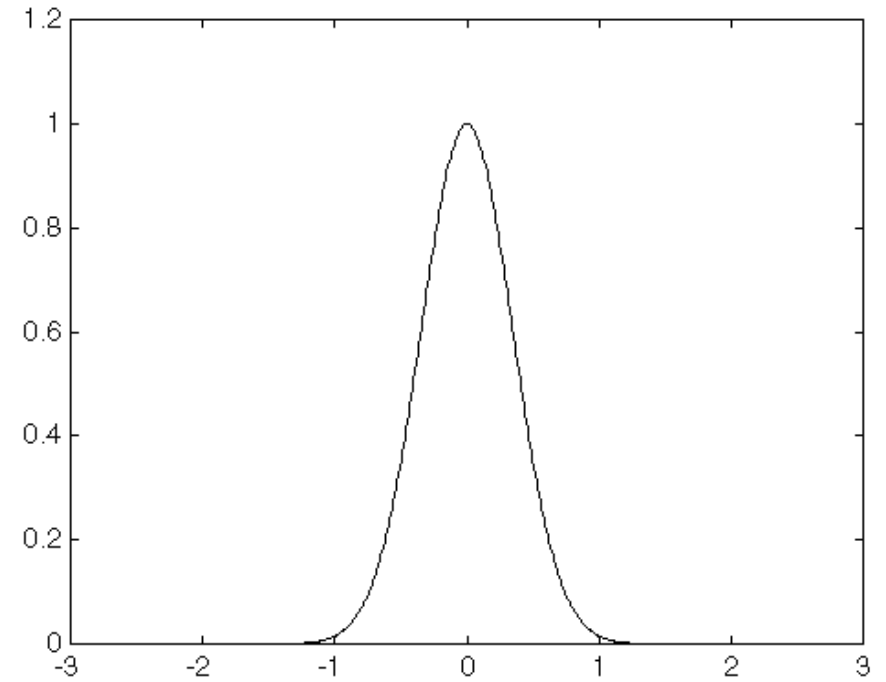
- Bit rate,  $R_b = 1/T_b = 1.152 \text{ Mbps}$
- GFSK modulation with  $BT_b = 0.5$
- Binary '1' is encoded as  $f_1 = F_c + 288 \text{ kHz}$  and  
Binary '0' is encoded as  $f_0 = F_c - 288 \text{ kHz}$ , nominally.

Note: GFSK and not GMSK because frequency deviation can vary up to 403 kHz or down to 202 kHz

# Gaussian pulse with $BT_b=0.5$



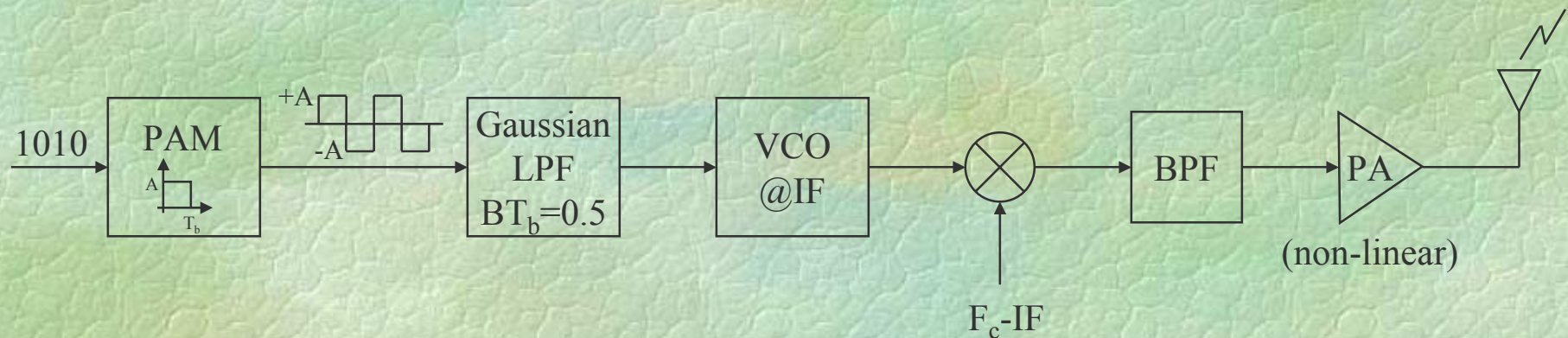
Time domain waveform  
(plotted versus  $t/T_b$ )



Magnitude spectrum  
(with frequency in MHz)

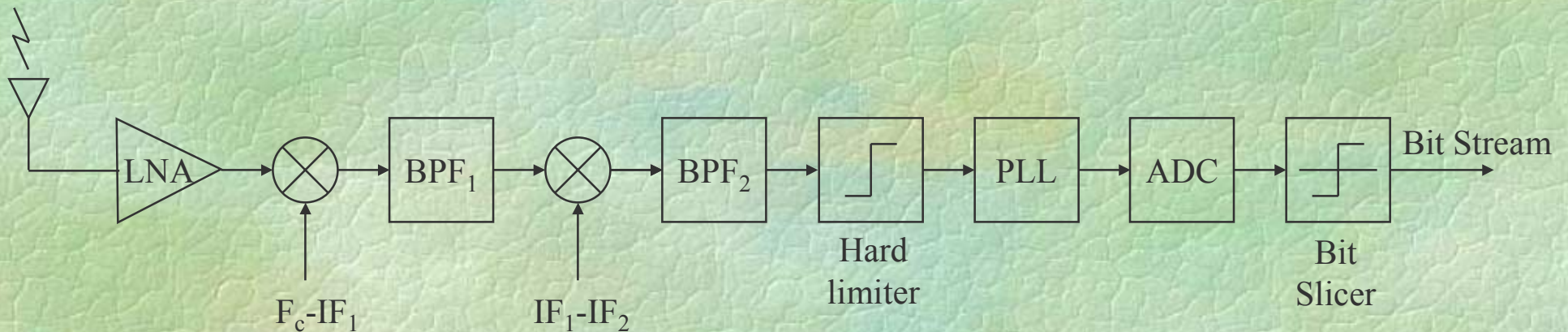
- With 1.152Mbps bit rate, 3dB BW,  $B = 0.5/T_b = 576$  kHz
- Non-zero ISI, though not considerable

# GFSK modulator



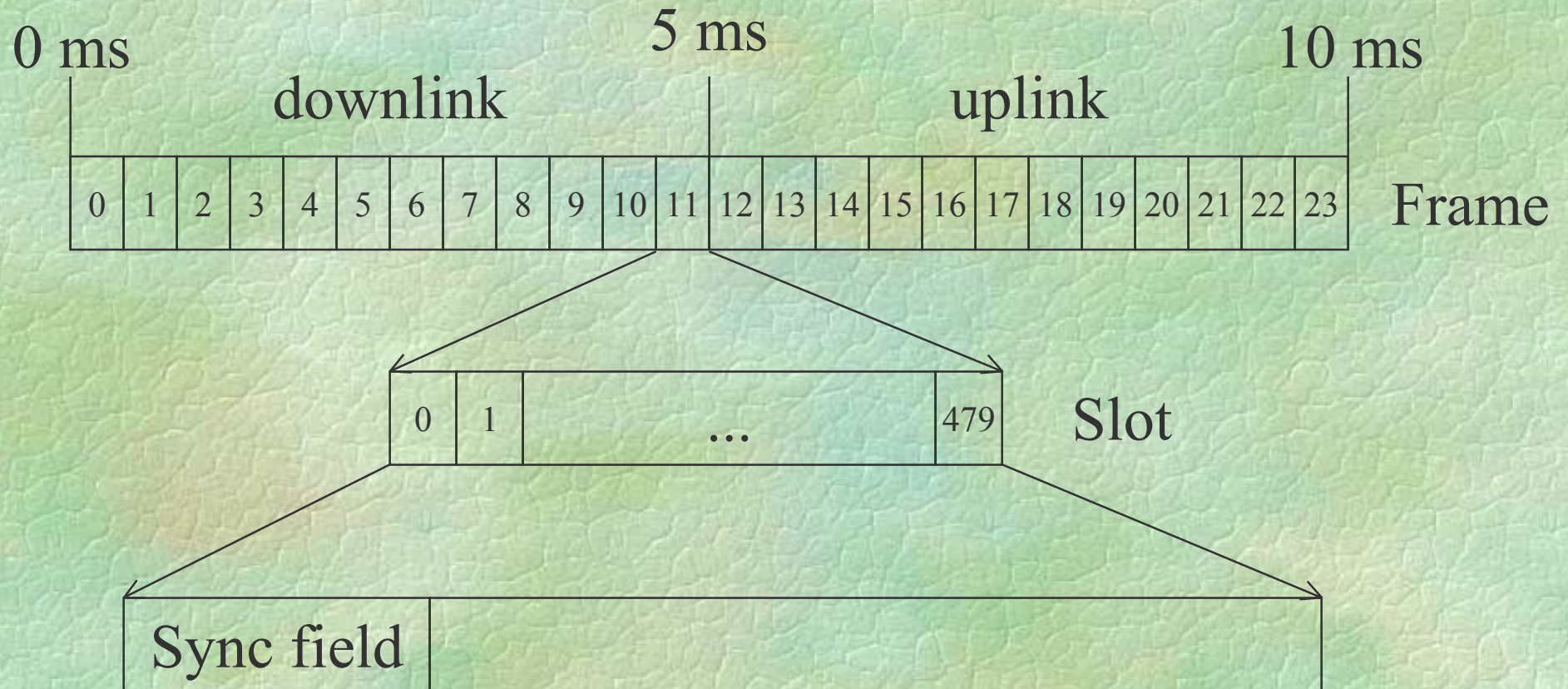
- Implemented as a simple VCO-based FM modulator
- Transmit Power spectrum:
  - With frequency deviation,  $\Delta f = 288$  kHz and max. modulating frequency,  $f_m \approx 288$  kHz
  - Carson's rule:  $2(\Delta f + f_m) = 1.152$  MHz
  - 99% BW rule:  $\beta = \Delta f / f_m = 1$ ,  $BW = 6xf_m = 1.728$  MHz

# GFSK Demodulator



- PLL-based FM demodulator
- Sub-optimal because noise at the output of the PLL does not have Gaussian statistics

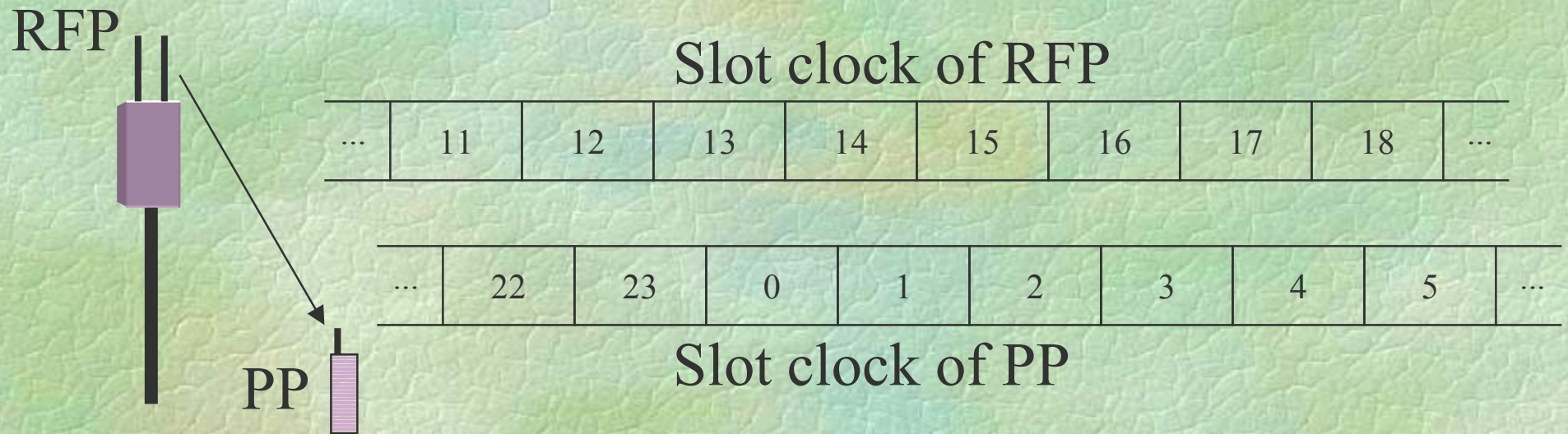
# TDMA Frame Structure



- Synchronization field: 32 bits wide
  - first 16 bits: alternating 1,0 pattern - sync word
  - last 16 bits: fixed bit pattern - preamble



# PP-RFP Synchronization on power-up



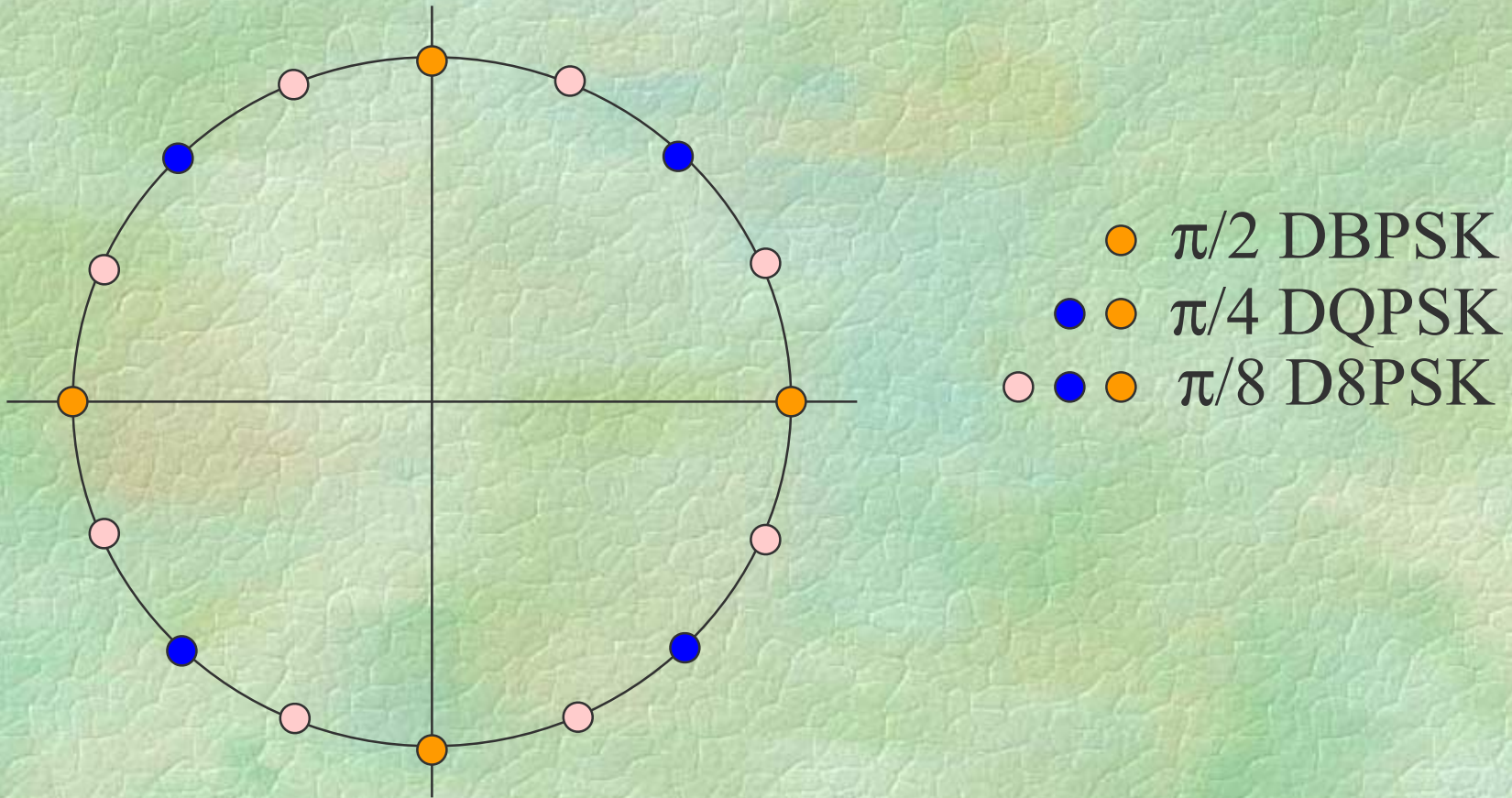
RFP - Radio Fixed Part; PP - Portable Part

When the PP is powered on, initially

- Detect RFP activity from RSSI measurements
- Detect synchronization pattern in the received data
- Align local clocks based on control information from the RFP

# New Physical Layer Specifications

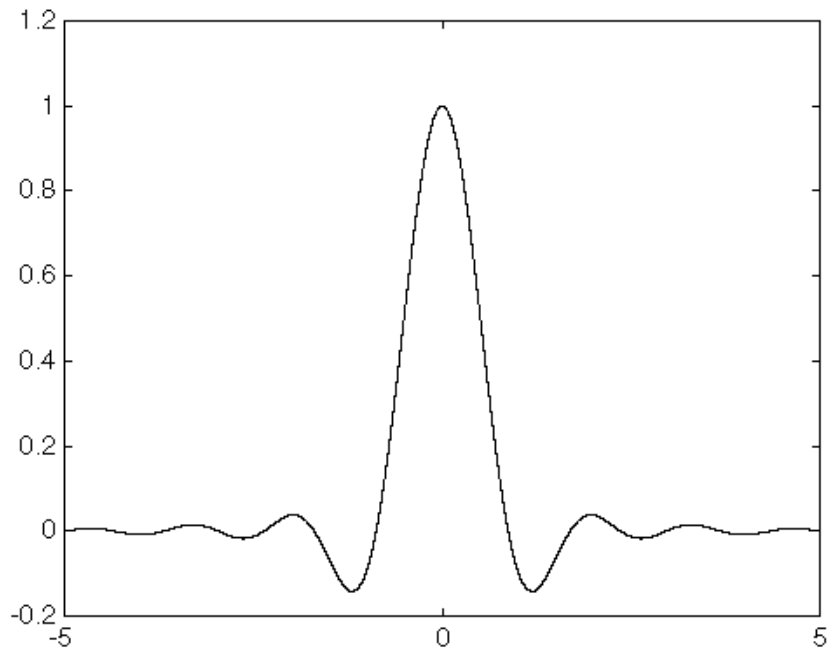
- Modulation Schemes :  $\pi/2$  DBPSK,  $\pi/4$  DQPSK,  $\pi/8$  D8PSK



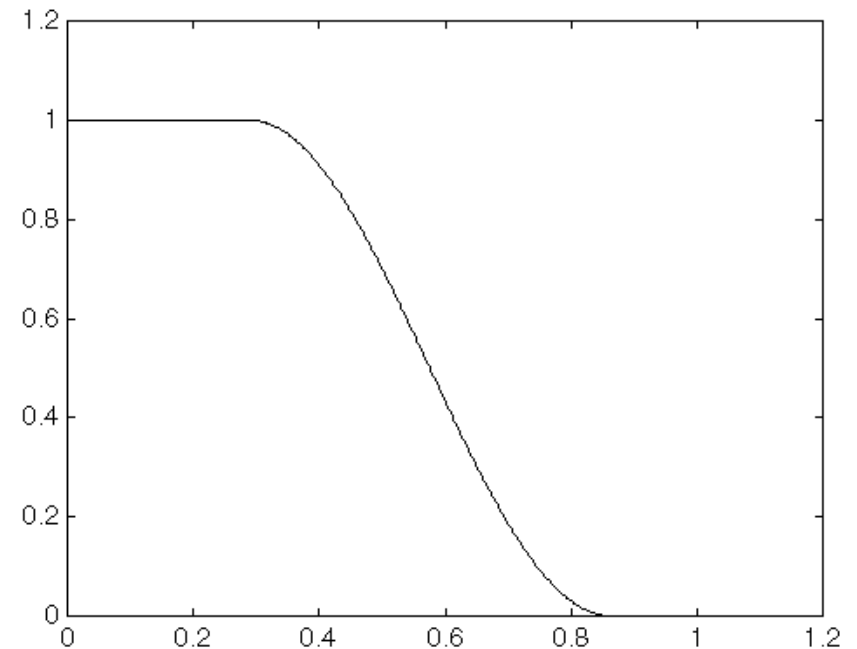
Constellation for differential PSK modulation

# New Physical Layer Specifications (contd.)

- Pulse shaping filter: Root-Raised Cosine with  $T_s = (1/1.152) \mu\text{s}$ , where  $T_s$  is the symbol duration, and roll-off factor,  $\alpha = 0.5$ ;
- Zero ISI at the output of the receiver match filter



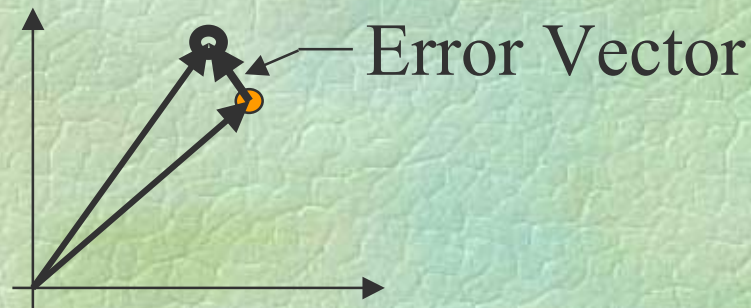
Normalized time  
domain waveform  
(plotted versus  $t/T_b$ )



Power spectrum  
(frequency in MHz)

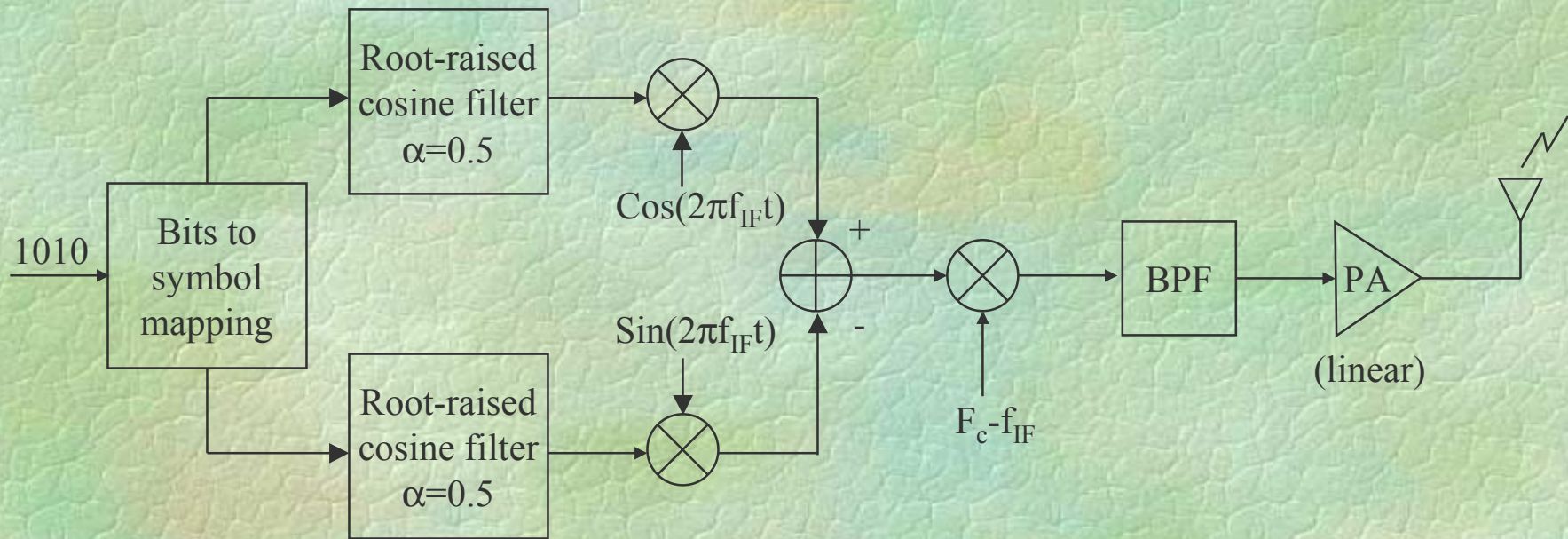
# New Physical Layer Specifications (contd.)

- Modulation accuracy defined in terms of vector error magnitude (VEM).



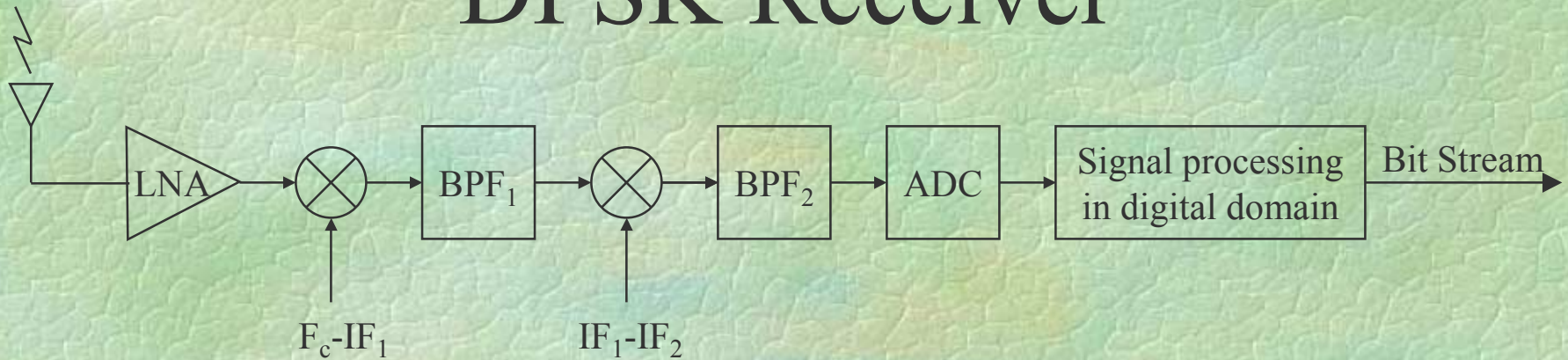
- $VEM < 0.125$  in a slot for DBPSK and DQPSK
- $VEM < 0.06$  in a slot for D8PSK
- Modulation accuracy requirements allow coherent detection

# DPSK Transmitter

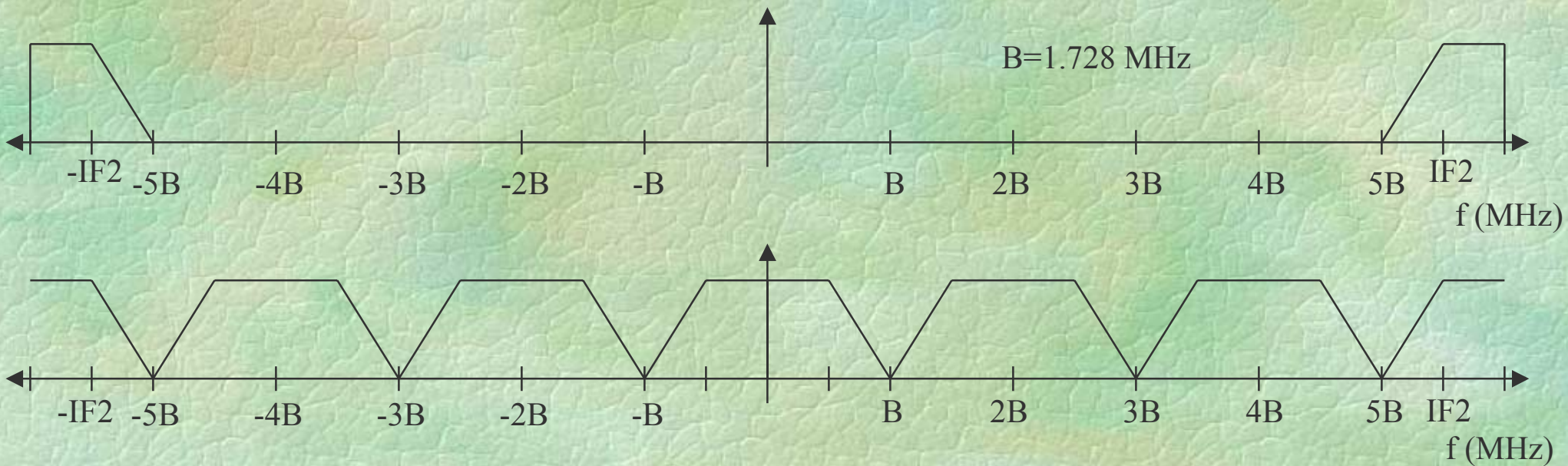


- I/Q modulator at IF and then up-converted to  $F_c$
- Transmit Power spectrum: Passband BW =  $2x(\text{baseband BW})$   
 $= 2x(1+0.5)x(576\text{kHz}) = 1.728 \text{ MHz}$

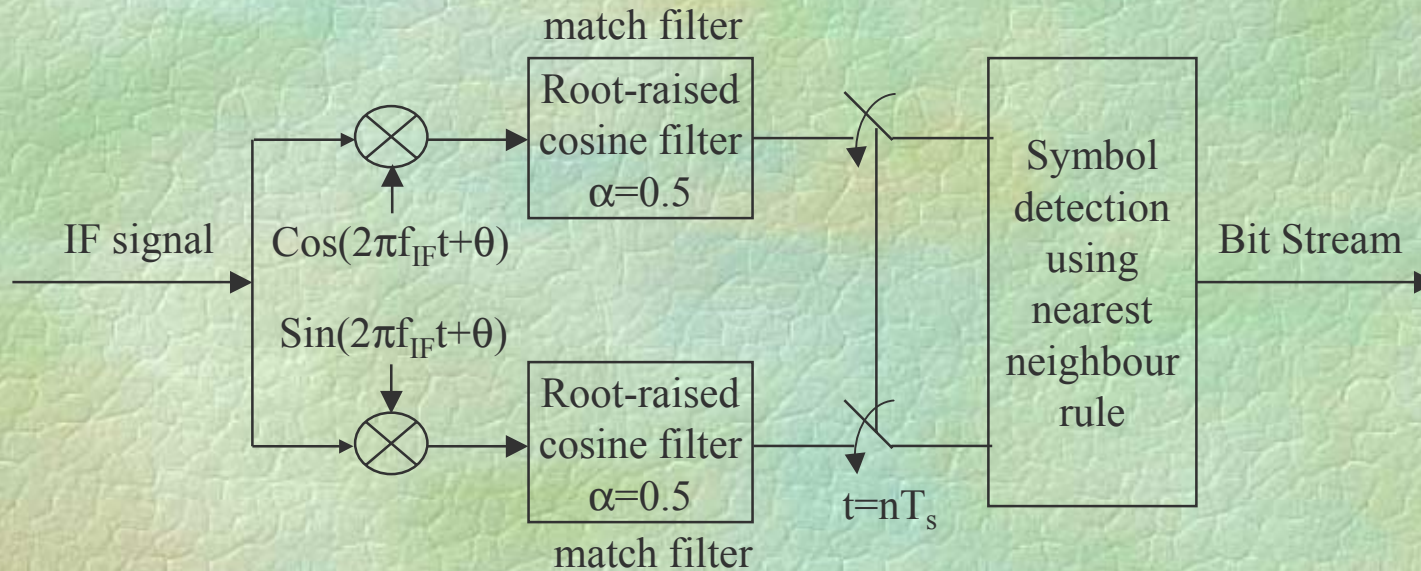
# DPSK Receiver



- $IF2 = (5+0.5) \times 1.728 = 9.504$  MHz
- Perform bandpass sampling @ 3.456 MHz



# Issues in Coherent Detection



- Carrier Frequency and Carrier Phase synchronization
- Clock Frequency and Clock Phase synchronization

# Issues in Coherent Detection (contd.)

- +/-50 kHz - allowed carrier frequency offset at RFP and PP

$$\Delta\Phi = 2\pi * 100 * 10^3 * \left( \frac{1}{1.152 * 10^6} \right) = 0.1736 * \pi \text{ rad/symbol}$$

- Estimate frequency offset with sufficient accuracy, so that residual frequency offset contributes nearly constant phase offset over each symbol.
- Phase offset is tracked and corrected at the end of each symbol



# Issues in Coherent Detection (contd.)

- Symbol clock accuracy specifications:  
< 25 ppm at PP and < 10 ppm at RFP
- Net drift in one slot using a 27.648 MHz oscillator

$$\frac{\Delta T}{T_s} = \left(\frac{35}{10^6}\right) * 480 * \left(\frac{27.648 * 10^6}{1.152 * 10^6}\right) * \left(\frac{1.152 * 10^6}{27.648 * 10^6}\right) = 0.0168$$

- Recover symbol clock phase at the beginning of each slot -  
no need for tracking.

# Tasks in the receiver

- Slot acquisition on power-up, or when frame/slot synchronization is lost
- Coarse frequency estimation every frame, or once every  $N$  frames, and on connection handover
- Clock phase recovery in every slot
- Refined frequency and phase estimation in every slot
- Data detection and frequency offset tracking and correction every symbol

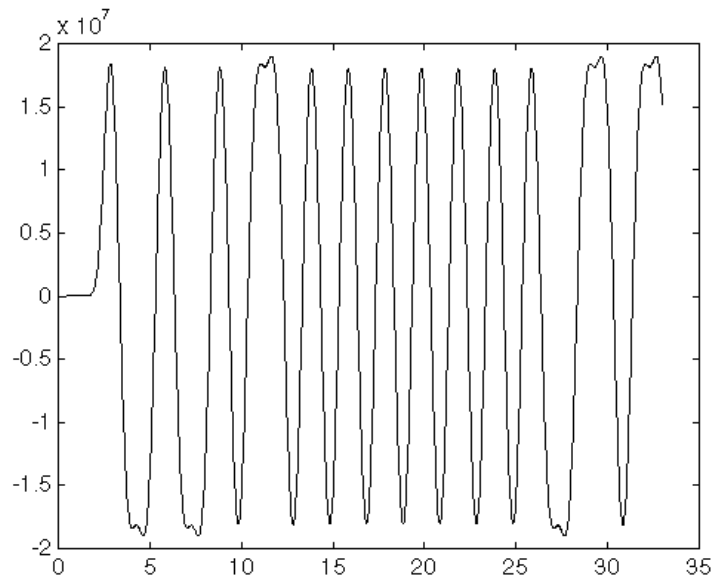
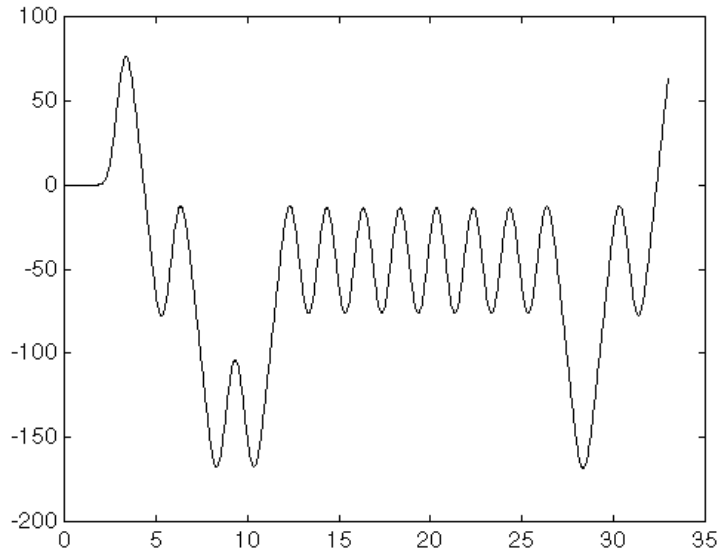
# FM Demodulator in Software

- Sync pattern always employs  $\pi/2$  DBPSK which can be detected in a non-coherent GFSK receiver too.
- New receiver has a software-based FM demodulator to be able to demodulate GFSK modulated signals.
- FM demodulator is used in coherent detector too - for slot acquisition, clock phase recovery and coarse frequency estimation.
- Carrier frequency estimate is then refined in baseband, after I/Q demodulation.

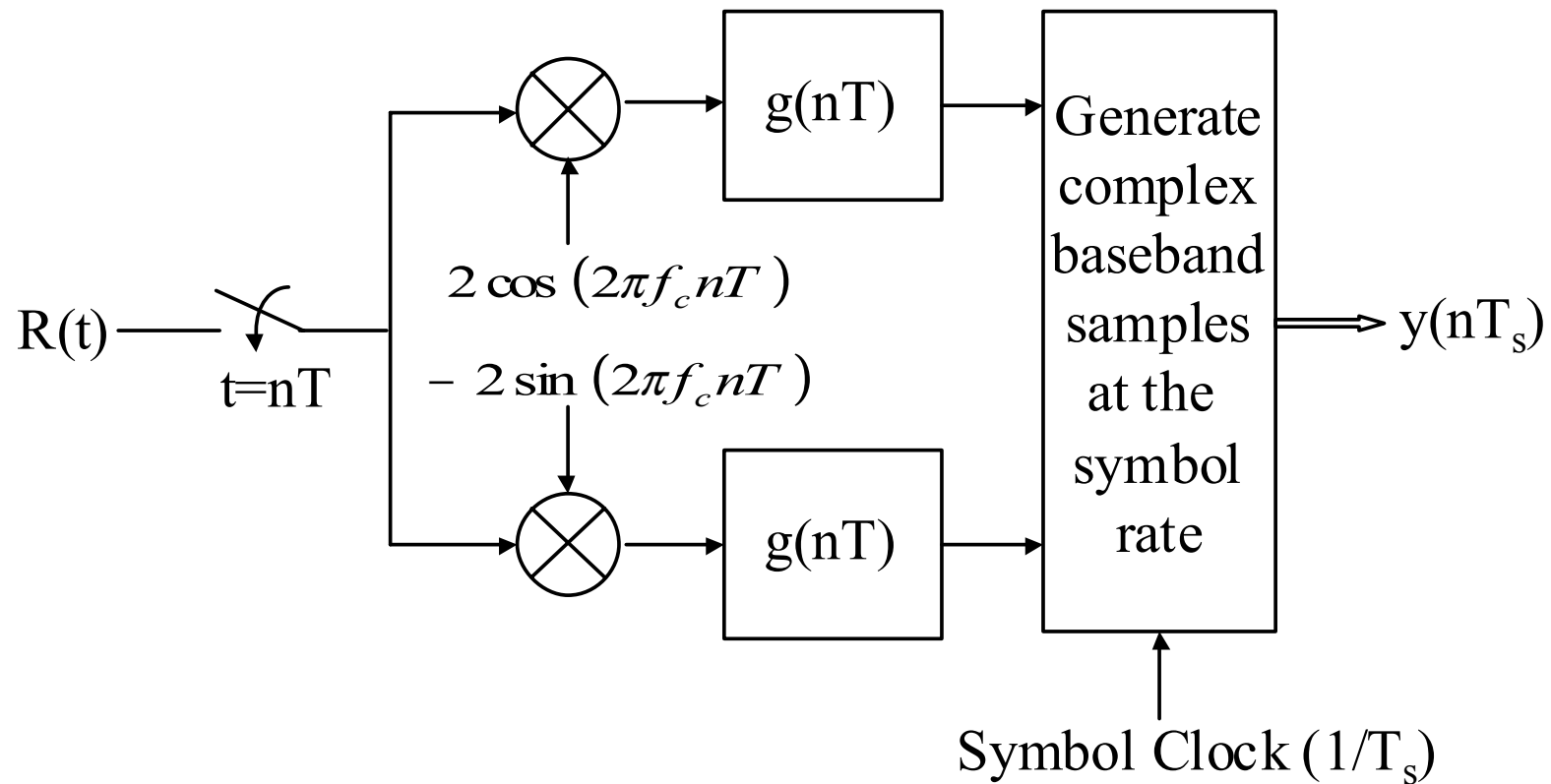
# Carrier frequency and phase plots

Carrier phase plot for sync word buried in random data

Instantaneous carrier frequency for sync word buried in random data



# Software I/Q demodulator



- $R(t)$  - Received IF signal
- $g(nT)$  - root-raised cosine match filter
- Sampling rate,  $1/T = 3.456 \text{ MHz} = 3/T_s$ , where  $T_s$  is the symbol clock @ 1.152 MHz

# Refined Carrier Frequency Estimation

$$R(nT) = \sum_m \{I_m \cos(2\pi(f_c + \delta f)nT + \theta) - Q_m \sin(2\pi(f_c + \delta f)nT + \theta)\} \cdot g(nT - mT_s) + w(nT)$$

$$\text{I-phase arm: } [R(nT) * 2 \cos(2\pi \cdot f_c \cdot nT)] \otimes g(nT)$$

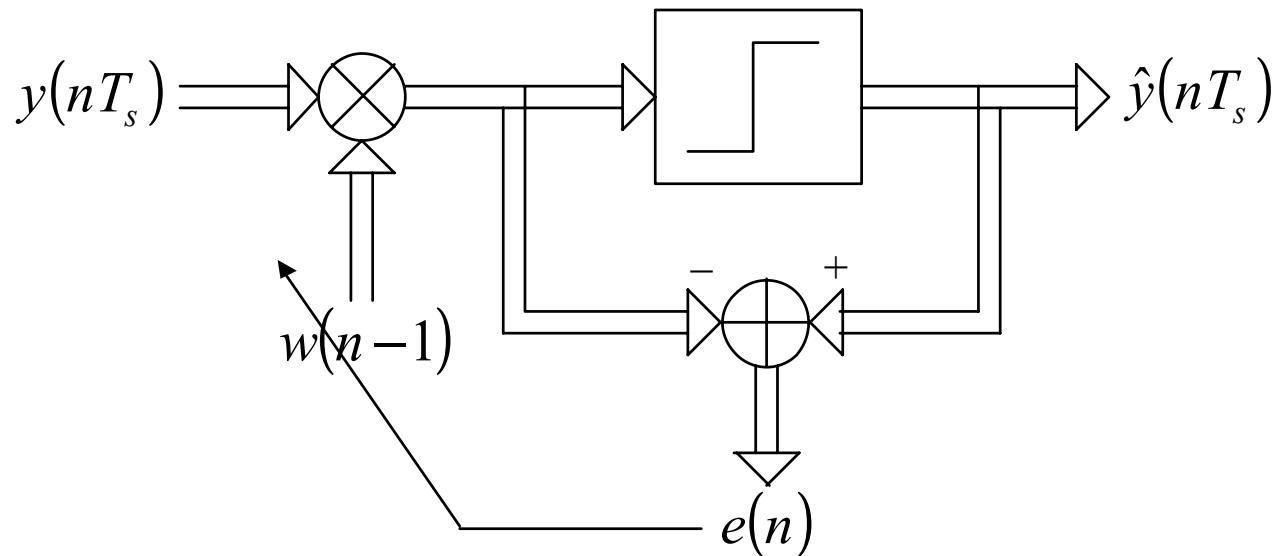
$$\text{Q-phase arm: } [R(nT) * -2 \sin(2\pi \cdot f_c \cdot nT)] \otimes g(nT)$$

$$y(nT_s) = (I_m + jQ_m) * K_m, \text{ where } K_m = \exp\{j(2\pi \cdot \delta f \cdot nT_s + \theta)\}.$$

- $I_m + jQ_m$  alternate between  $1 + j0$  and  $0 + j1$  in the sync word
- Estimate  $\delta f$  differentially after undoing the above modulation
- Estimate  $\theta$  after estimating  $\delta f$

Note: Estimates of  $\delta f$  and  $\theta$  have to be made by averaging over many symbol durations.

# Data detection with carrier phase tracking



$$e(n) = \hat{y}(nT_s) - [w(n-1) \cdot y(nT_s)];$$

The update  $w(n)$  is computed as follows,

$$w(n) = w(n-1) + \mu \cdot e^*(n) \cdot y(nT_s) \text{ where, } \mu \text{ is a real constant.}$$

$$w(n) = \frac{w(n)}{\|w(n)\|} \text{ (for ensuring that the phase de-rotator has unit gain)}$$